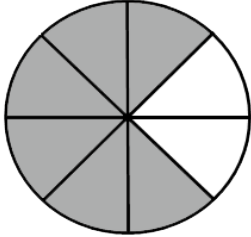
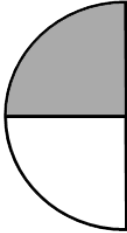
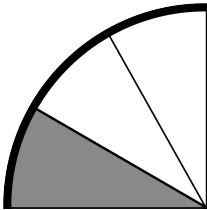


## EVERYDAY MATHEMATICS—3<sup>rd</sup> Grade

### Unit 5 Review: Fractions and Multiplication Strategies

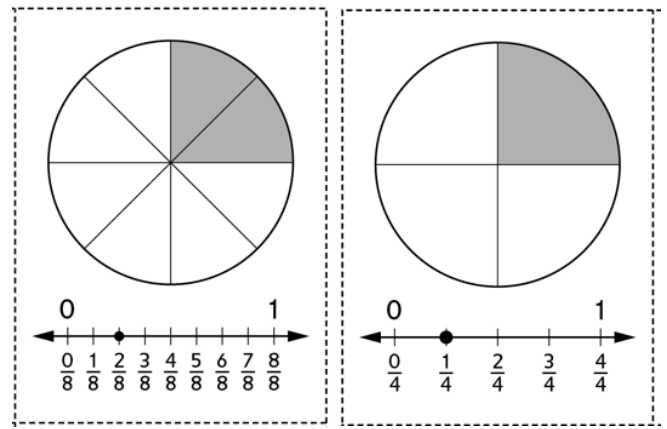
1) Use your fraction circle pieces to complete the table.

Picture	Words	Number
<p>Example: The whole is the red piece.</p> 	<p>six-eighths</p>	$\frac{6}{8}$
<p>The whole is the pink piece.</p> 		
<p>The whole is the light blue piece.</p> 		
<p>The whole is the _____ piece.</p>	<p>one-fourth</p>	

## Unit 5 Review (continued)

2) Drew turns over these two cards during a game of *Fraction Memory*.

He thinks he found a pair of equivalent fractions.



- a. Do you agree?  
Explain your thinking.

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- b. Use your fraction cards to find a different pair of equivalent fractions.  
Record your two fractions on the lines below.

\_\_\_\_\_ = \_\_\_\_\_

- 3) Complete the table of 3s multiplication facts below.

Fact	Product
1 X 3	
2 X 3	
3 X 3	
4 X 3	

What patterns do you notice in the products?

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## Unit 5 Review (continued)

4) For each fact below:

- Record a helper fact.
- Use your helper fact and either add or subtract a group
- Use words, numbers, or pictures to show your thinking.
- Write the product.

a.  $4 \times 6 = ?$

Helper fact: \_\_\_\_\_  $\times$  \_\_\_\_\_ = \_\_\_\_\_

How I can use the helper fact:

$4 \times 6 =$  \_\_\_\_\_

b.  $8 \times 4 = ?$

Helper fact: \_\_\_\_\_  $\times$  \_\_\_\_\_ = \_\_\_\_\_

How I can use the helper fact:

$8 \times 4 =$  \_\_\_\_\_

5) Mason is playing a round of *Salute!* The dealer says 18. His partner has a 9 on his forehead.

a. What number does Mason have? \_\_\_\_\_

b. Write a multiplication number sentence and a division number sentence for this problem.

\_\_\_\_\_

c. How do your number sentences show the same *Salute!* round?

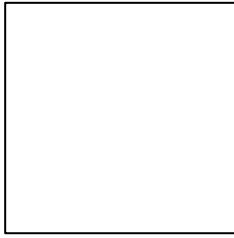
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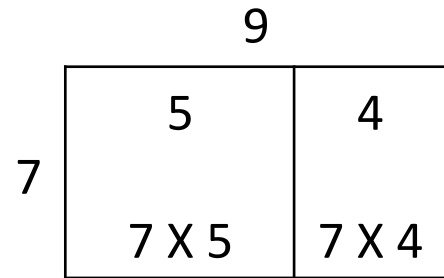
## Unit 5 Review (continued)

- 6) Divide the square below into 4 equal-size parts. Shade and label one part with a fraction.



- 7) Owen is trying to solve  $7 \times 9$ .

He sketches a rectangle to help him think about how to break apart the numbers so that the fact is easier to solve. Here is his sketch:



Use numbers or words to explain how Owen can use his sketch to solve  $7 \times 9$ .

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$7 \times 9 =$  \_\_\_\_\_

- 8) Ava and Olivia are working together to solve  $8 \times 9$ .

Ava says: "I think  $8 \times 8$  will work as our helper fact."

Olivia says: "I think  $9 \times 9$  will work as our helper fact."

With whom do you agree? Explain.

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Name: \_\_\_\_\_ Date: \_\_\_\_\_

## EVERYDAY MATHEMATICS—3<sup>rd</sup> Grade

### Unit 5 Challenge Review

1) Explain two different ways you could use doubling to solve  $8 \times 4 = ?$ .  
You may draw rectangles to help.

a. One way:

Helper fact: \_\_\_\_\_  $\times$  \_\_\_\_\_ = \_\_\_\_\_

How I did it:

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b. Another way:

Helper fact: \_\_\_\_\_  $\times$  \_\_\_\_\_ = \_\_\_\_\_

How I did it:

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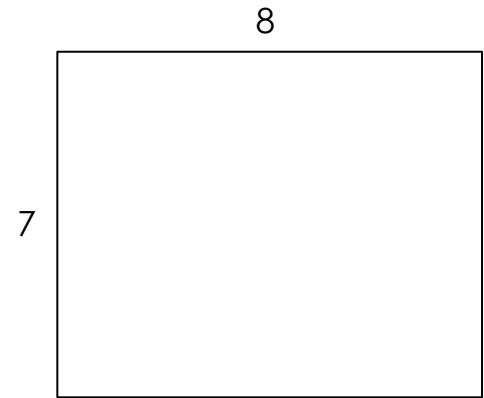
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## Unit 5 Challenge Review (continued)

2) Jack is trying to solve  $7 \times 8 = ?$ .

He sketches a rectangle with side lengths of 7 and 8 to help him think about how he could break it apart to make it easier to solve.

- a. Show one way Jack could break his rectangle apart.

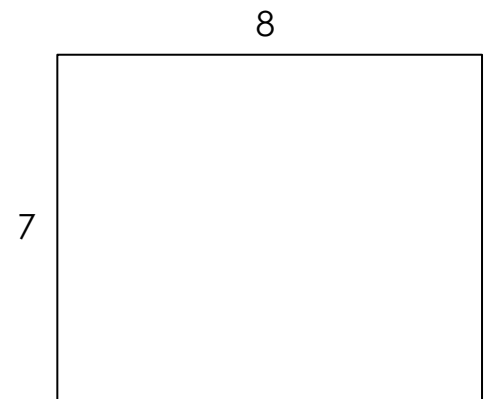


Record number models to show how he can use pieces to solve  $7 \times 8$ .

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- b. Show another way Jack could break his rectangle apart.

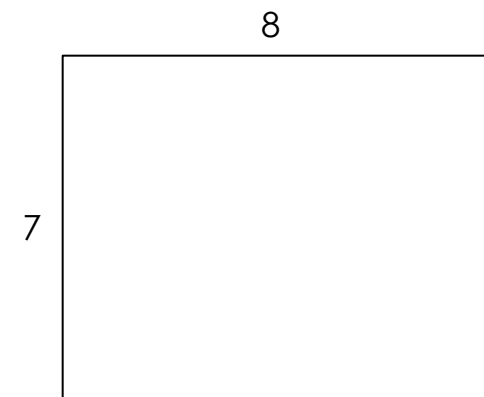


Record number models to show how he can use the pieces to solve  $7 \times 8$ .

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- c. Suppose Jack wants to break his rectangle into 3 parts. Show one way he could do this.



Record number models to show how he can use the pieces to solve  $7 \times 8$ .

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Name: \_\_\_\_\_ Date: \_\_\_\_\_

**EVERYDAY MATHEMATICS—3<sup>rd</sup> Grade**  
**Unit 5 Open Response Review**  
*Using Multiplication Facts Strategies*

Sydney is learning how to use more efficient strategies for multiplication. She learned about adding or subtracting a group, doubling, and near squares.

She used the adding-a-group strategy to solve  $6 \times 9 = ?$ . She explained:

“I will use the helper fact  $5 \times 9$ . I know that  $5 \times 9 = 45$ .  
I can add one more group of 9 to 45 to get 54.  
I now have 6 groups of 9, so I know  $6 \times 9 = 54$ .”

- 1) Use a picture to show how Sydney solved the problem  
Explain how your picture matches Sydney's explanation.

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## Unit 5 Open Response Review (continued)

- 2) Choose at least one other efficient multiplication strategy, such as doubling or near squares, to solve  $6 \times 9 = ?$ .  
Use pictures and words to show how you solved the problem.

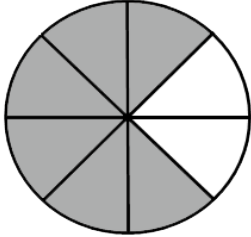
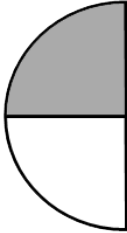
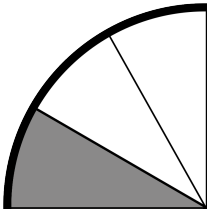
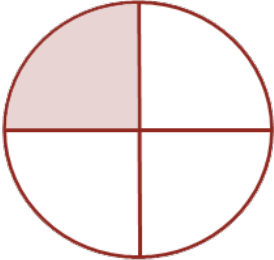
(Hint: What helper fact can you use?)



## EVERYDAY MATHEMATICS—3<sup>rd</sup> Grade

### Unit 5 Review: Fractions and Multiplication Strategies

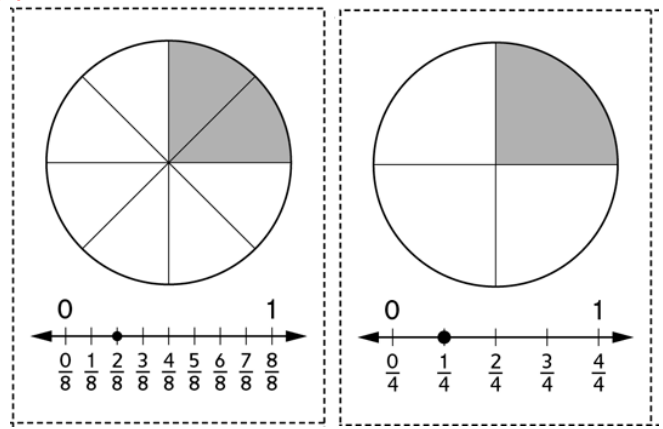
1) Use your fraction circle pieces to complete the table.

Picture	Words	Number
<p>Example: The whole is the red piece.</p> 	six-eighths	$\frac{6}{8}$
<p>The whole is the pink piece.</p> 	one-half	$\frac{1}{2}$
<p>The whole is the light blue piece.</p> 	one-third	$\frac{1}{3}$
<p>The whole is the <u>red</u> piece.</p> 	one-fourth	$\frac{1}{4}$

**Unit 5 Review (continued) \*ANSWER KEY\***

2) Drew turns over these two cards during a game of *Fraction Memory*.

He thinks he found a pair of equivalent fractions.



a. Do you agree?  
Explain your thinking.

Possible answer: Yes. The shaded area of each circle on the cards is the same size.

b. Use your fraction cards to find a different pair of equivalent fractions. Record your two fractions on the lines below.

$\frac{1}{3} = \frac{2}{6}$       Answers will vary.

3) Complete the table of 3s multiplication facts below.

Fact	Product
1 X 3	3
2 X 3	6
3 X 3	9
4 X 3	12

What patterns do you notice in the products?

Possible answer: The product switches between even and odd. The products increase by 3 each time.

## Unit 5 Review (continued) \*ANSWER KEY\*

4) For each fact below:

- Record a helper fact.
- Use your helper fact and either add or subtract a group
- Use words, numbers, or pictures to show your thinking.
- Write the product.

a.  $4 \times 6 = ?$  Possible answer:

Helper fact:  $3 \times 6 = 18$

How I can use the helper fact:

Possible answer: I start with 18 and add 1 group of 6 to get  $18 + 6 = 24$ .

$4 \times 6 = 24$

b.  $8 \times 4 = ?$  Possible answer:

Helper fact:  $8 \times 5 = 40$

How I can use the helper fact:

Possible answer: I know  $8 \times 5$  is 40. I took away 1 group of 8 to get 32.

$8 \times 4 = 32$

5) Mason is playing a round of *Salute!* The dealer says 18. His partner has a 9 on his forehead.

a. What number does Mason have? 2

b. Write a multiplication number sentence and a division number sentence for this problem.

$9 \times 2 = 18$

$18 \div 9 = 2$

c. How do your number sentences show the same *Salute!* round?

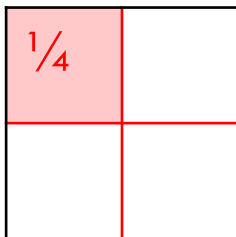
Possible answer: I can think multiplication and ask, "9 times what number is

18?" I can also think division and ask, "How many groups of 9 are in 18?" I

get the same answer both ways.

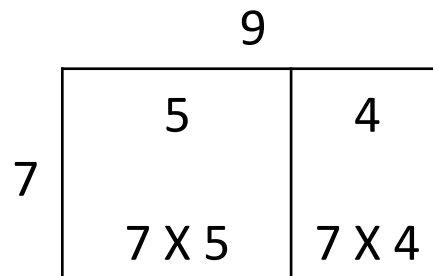
## Unit 5 Review (continued) \*ANSWER KEY\*

- 6) Divide the square below into 4 equal-size parts. Shade and label one part with a fraction.



- 7) Owen is trying to solve  $7 \times 9$ .

He sketches a rectangle to help him think about how to break apart the numbers so that the fact is easier to solve. Here is his sketch:



Use numbers or words to explain how Owen can use his sketch to solve  $7 \times 9$ .

Possible answer: Owen's rectangle is in two pieces. The first rectangle

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shows  $7 \times 5 = 35$ . The second rectangle shows  $7 \times 4 = 28$ . So the total is 35

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+ 28 = 63.

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$7 \times 9 = \underline{\quad 63 \quad}$

- 8) Ava and Olivia are working together to solve  $8 \times 9$ .

Ava says: "I think  $8 \times 8$  will work as our helper fact."

Olivia says: "I think  $9 \times 9$  will work as our helper fact."

With whom do you agree? Explain.

Possible answer: I agree with Ava because she can add a group of 8 to  $8 \times 8$  to solve  $8 \times 9$  because of the turn-around rule. I agree with Olivia because she can subtract a group of 9 to get the answer to  $8 \times 9$ . I agree with both Ava and Olivia because  $8 \times 9$  is a near-squares fact for  $8 \times 8$  and  $9 \times 9$ , so they can either add or subtract a group to get the answer.

## EVERYDAY MATHEMATICS—3<sup>rd</sup> Grade

### Unit 5 Challenge Review

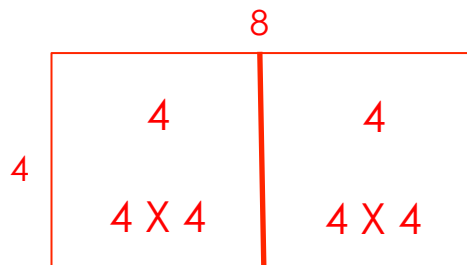
- 1) Explain two different ways you could use doubling to solve  $8 \times 4 = ?$ .  
You may draw rectangles to help.

Answers will vary. Possible number models and explanations:

- a. One way:

Helper fact:  4   $\times$   4  =  16

How I did it:

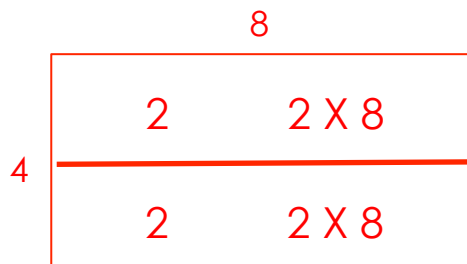


I started with  $4 \times 4 = 16$  and doubled it.  $16 + 16 = 32$ , so  $8 \times 4 = 32$ .

- b. Another way:

Helper fact:  8   $\times$   2  =  16

How I did it:



I started with  $8 \times 2 = 16$  and doubled it.  $16 + 16 = 32$ , so  $8 \times 4 = 32$ .

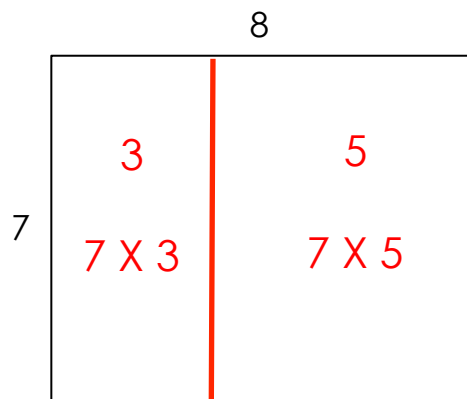
## Unit 5 Challenge Review (continued) \*ANSWER KEY\*

2) Jack is trying to solve  $7 \times 8 = ?$ .

Answers will vary. Possible answers:

He sketches a rectangle with side lengths of 7 and 8 to help him think about how he could break it apart to make it easier to solve.

- a. Show one way Jack could break his rectangle apart.

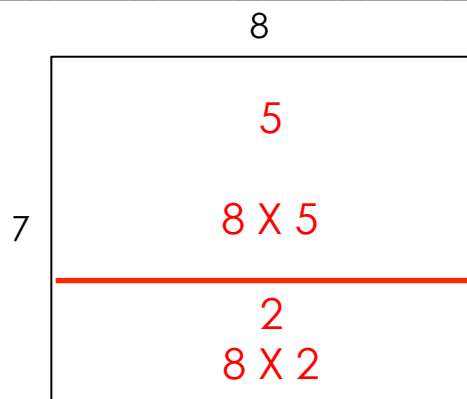


Record number models to show how he can use pieces to solve  $7 \times 8$ .

$$7 \times 3 = 21, \quad 7 \times 5 = 35, \quad 21 + 35 = 56$$

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- b. Show another way Jack could break his rectangle apart.

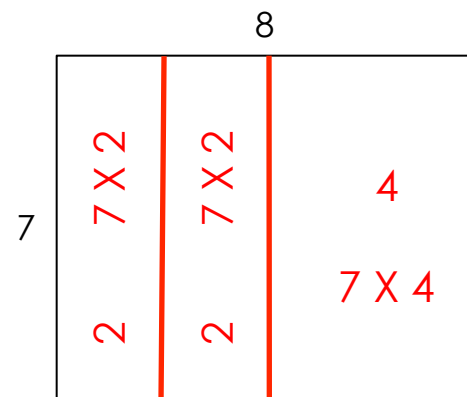


Record number models to show how he can use the pieces to solve  $7 \times 8$ .

$$8 \times 5 = 40, \quad 8 \times 2 = 16, \quad 40 + 16 = 56$$

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- c. Suppose Jack wants to break his rectangle into 3 parts. Show one way he could do this.



Record number models to show how he can use the pieces to solve  $7 \times 8$ .

$$7 \times 2 = 14, \quad 7 \times 2 = 14, \quad 7 \times 4 = 28, \quad 14 + 14 + 28 = 56$$

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## Unit 5 Open Response Review (continued)

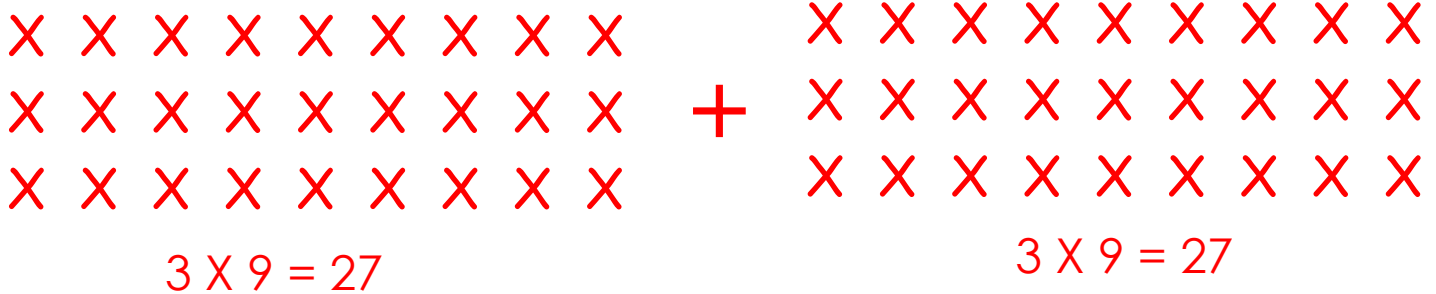
**\*ANSWER KEY\***

2) Choose at least one other efficient multiplication strategy, such as doubling or near squares, to solve  $6 \times 9 = ?$ .

Use pictures and words to show how you solved the problem.

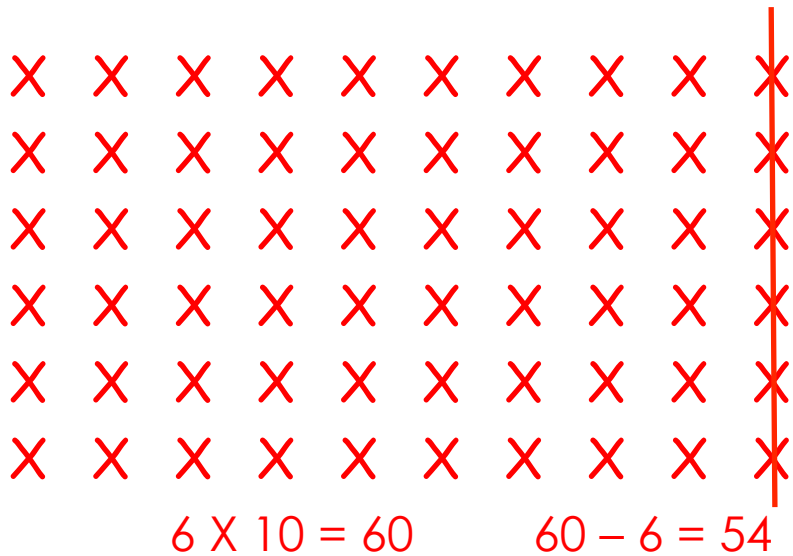
(Hint: What helper fact can you use?)

Answers will vary.


$$\begin{array}{cccccccccc} \times & \times & \times & \times & \times & \times & \times & \times & \times & \\ \times & \times & \times & \times & \times & \times & \times & \times & \times & \\ \times & \times & \times & \times & \times & \times & \times & \times & \times & \end{array} + \begin{array}{cccccccccc} \times & \times & \times & \times & \times & \times & \times & \times & \times & \\ \times & \times & \times & \times & \times & \times & \times & \times & \times & \\ \times & \times & \times & \times & \times & \times & \times & \times & \times & \end{array}$$

$3 \times 9 = 27$                        $3 \times 9 = 27$

Possible answer: I knew  $3 \times 9 = 27$ , so I doubled the product.  $27 + 27$  is 54, so I know  $6 \times 9 = 54$ .


$$\begin{array}{cccccccccc} \times & \times & \times & \times & \times & \times & \times & \times & \times & \times \\ \times & \times & \times & \times & \times & \times & \times & \times & \times & \times \\ \times & \times & \times & \times & \times & \times & \times & \times & \times & \times \\ \times & \times & \times & \times & \times & \times & \times & \times & \times & \times \\ \times & \times & \times & \times & \times & \times & \times & \times & \times & \times \\ \times & \times & \times & \times & \times & \times & \times & \times & \times & \times \end{array}$$

$6 \times 10 = 60$                        $60 - 6 = 54$

Possible answer: I know  $6 \times 10$  is 60, so I took away one group of 6.  $60 - 6 = 54$ .